



Baer invariants of certain class of groups

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Abstract

In this talk, we intend to investigate the Baer invariants of certain class of groups with respect to the variety of polynilpotent groups of class row (c_1, c_2) , when $(c_2 + 1)n - (c_2 + 1) < c_1$. Moreover, an explicit formula for the Baer invariant of direct product of two finite cyclic groups with respect to the variety of metabelian groups is also given.

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1 Introduction

Let \mathcal{N}_{c_1, c_2} be the variety of polynilpotent groups of class row (c_1, c_2) , and G be an arbitrary group with a free presentation

$$1 \rightarrow R \rightarrow F \rightarrow G \rightarrow 1.$$

The Baer invariant of G with respect to the variety of polynilpotent groups of class row (c_1, c_2) , is defined to be

$$\mathcal{N}_{c_1, c_2} M(G) \cong \frac{R \cap \gamma_{c_2+1}(\gamma_{c_1+1}(F))}{[R, {}_{c_1} F, {}_{c_2} \gamma_{c_1+1}(F)]}.$$

The Baer invariant of G with respect to this variety, is called a (c_1, c_2) *polynilpotent multiplier*.

Now let $\{A_\lambda\}_{\lambda \in \Lambda}$ be a family of cyclic groups and A be the free product of this family. n -nilpotent product of $\{A_\lambda\}_{\lambda \in \Lambda}$ is defined as follows,

$$\prod_{\lambda \in \Lambda}^n A_\lambda = \frac{A}{\gamma_{n+1}(A)}.$$

Assume that

$$\mathbf{Z}_r = \langle x \mid x^r = 1 \rangle, \quad \mathbf{Z}_s = \langle y \mid y^s = 1 \rangle$$

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